

ON THE BRUTSAERT BASE FLOW RECESSIONS AND THEIR GEOMORPHIC ORIGINS



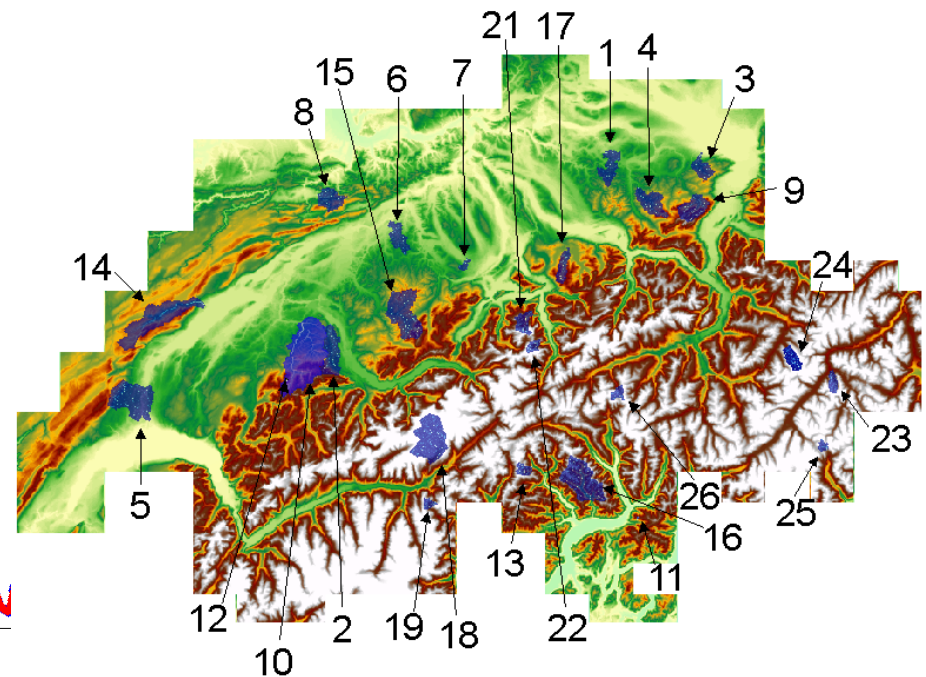
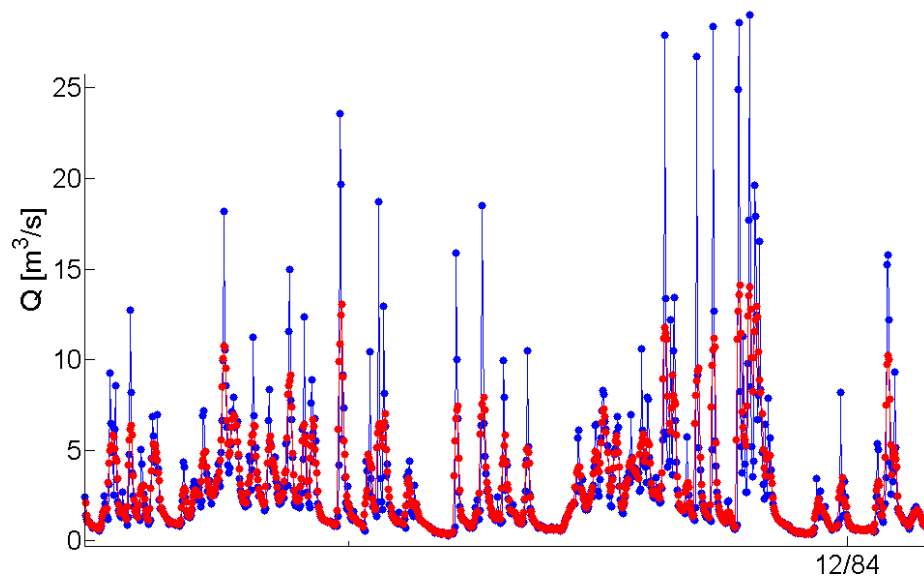
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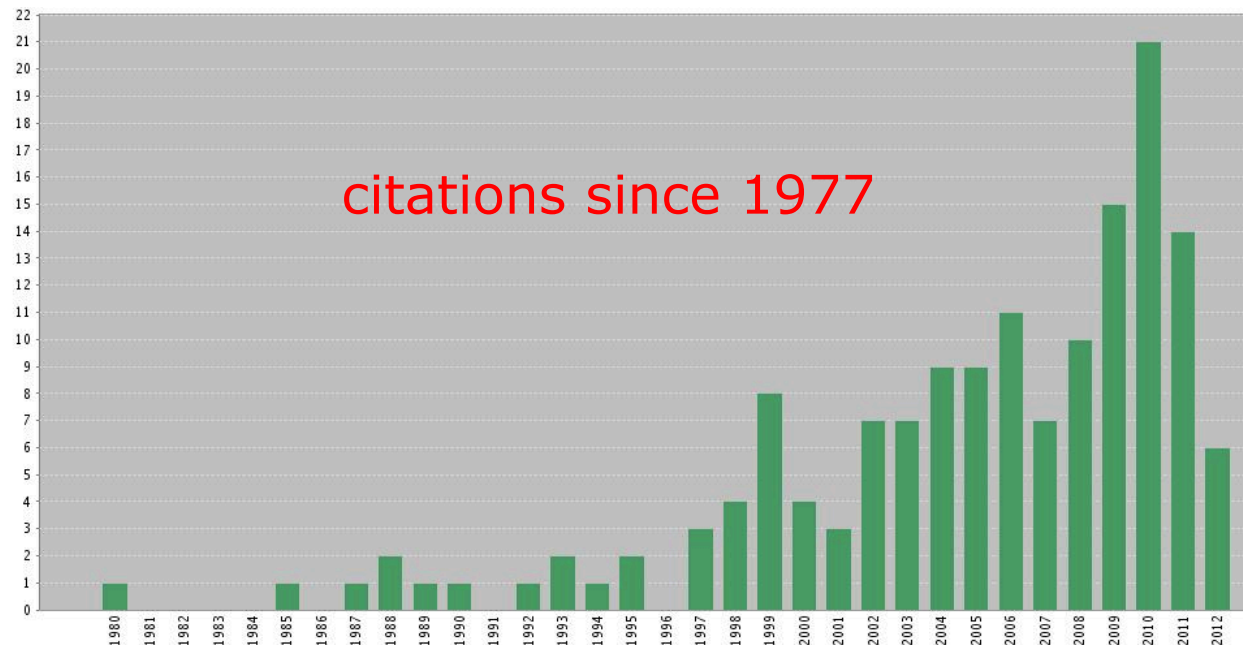


Regionalized Drought Flow Hydrographs From a Mature Glaciated Plateau

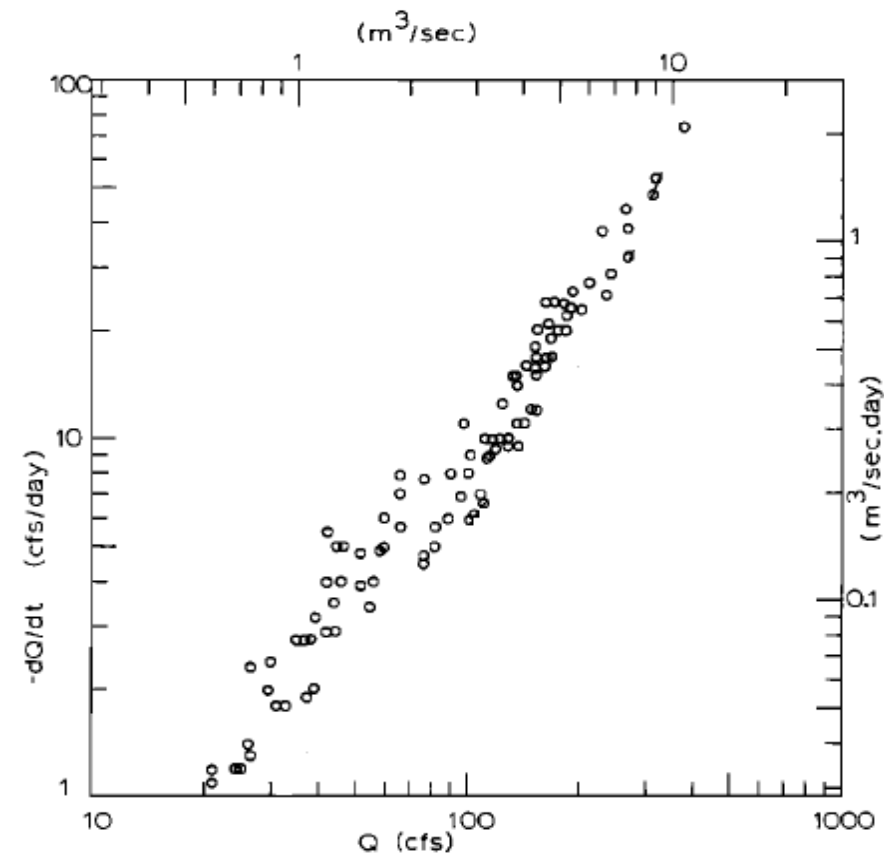
WILFRIED BRUTSAERT AND JOHN L. NIEBER

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The drought or base flow characteristics of six basins in the Finger Lakes region are obtained by considering for each available record the lower envelope of $|dQ/dt|$ as a function of Q , where Q is the flow rate. This procedure avoids the uncertainty regarding a proper time reference after each rainfall event, and it eliminates the effects of evapotranspiration. The results suggest that among several expressions, Boussinesq's nonlinear solution of free surface groundwater flow is best suited to parameterize the observed hydrographs. The obtained parameters can be related to the basin characteristics, viz., drainage area and the total stream length, in accordance with relationships derived on the basis of the Dupuit-Boussinesq aquifer model. This result allows the determination of drought flow parameters for ungaged sites within the region.

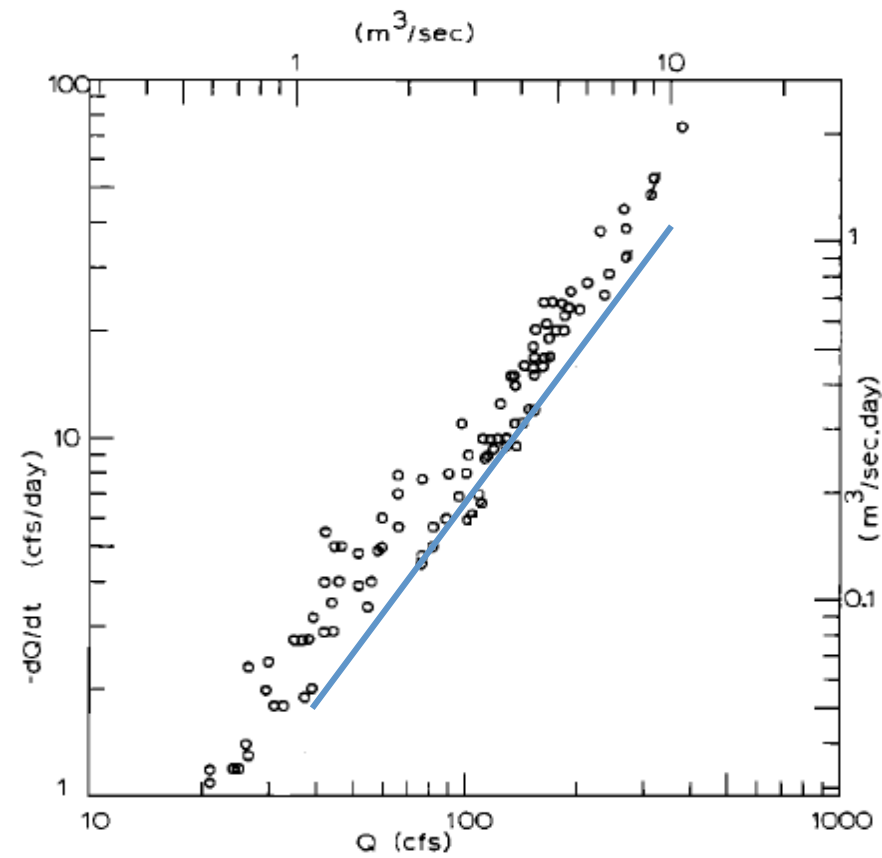


$$-\frac{dQ}{dt} \propto f(Q) \sim Q^\beta$$



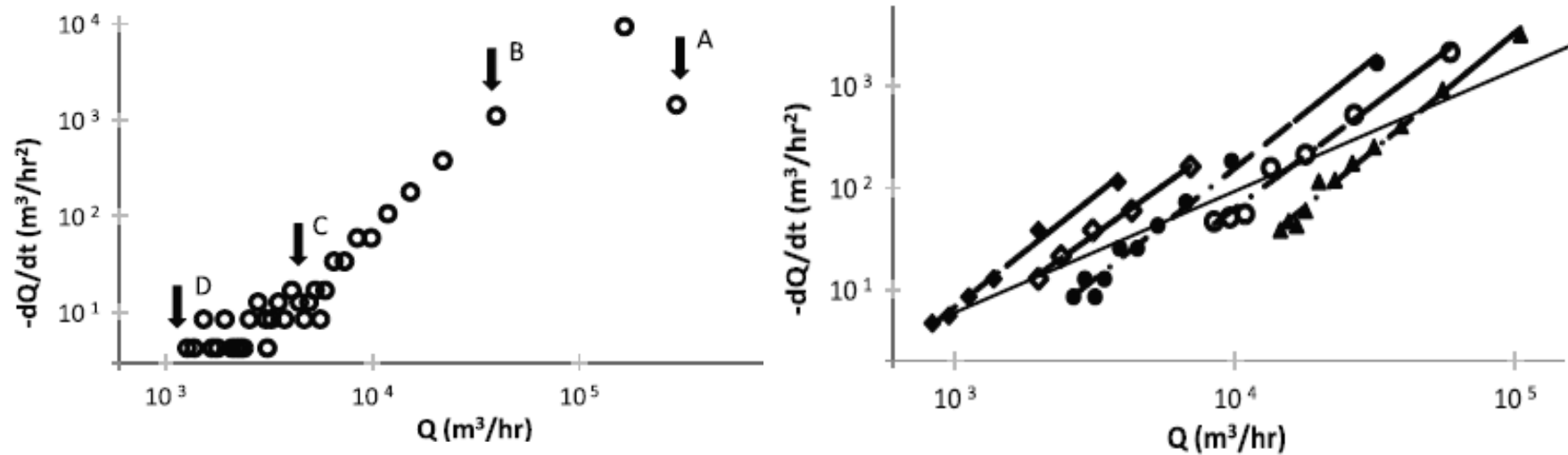
Brutsaert and Nieber, *WRR*, 1977

$$-\frac{dQ}{dt} \propto f(Q) \sim Q^\beta$$



Brutsaert and Nieber, *WRR*, 1977

power law scaling & individual recession events



curves for different events shifted

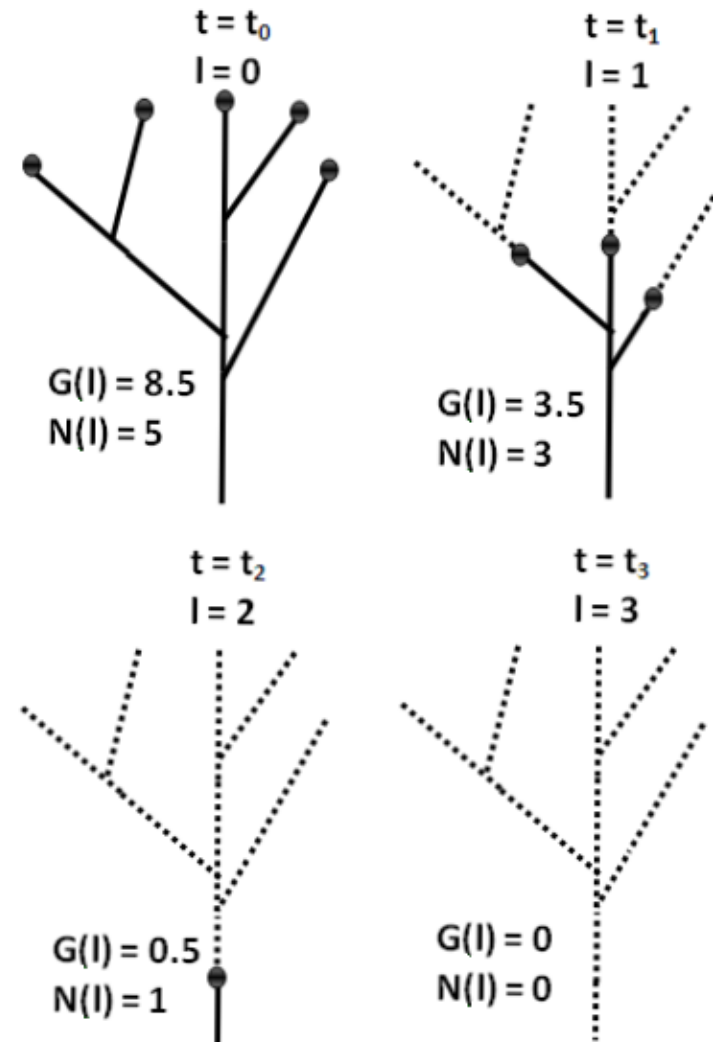
simultaneous fit of all events \rightarrow underestimation of β values

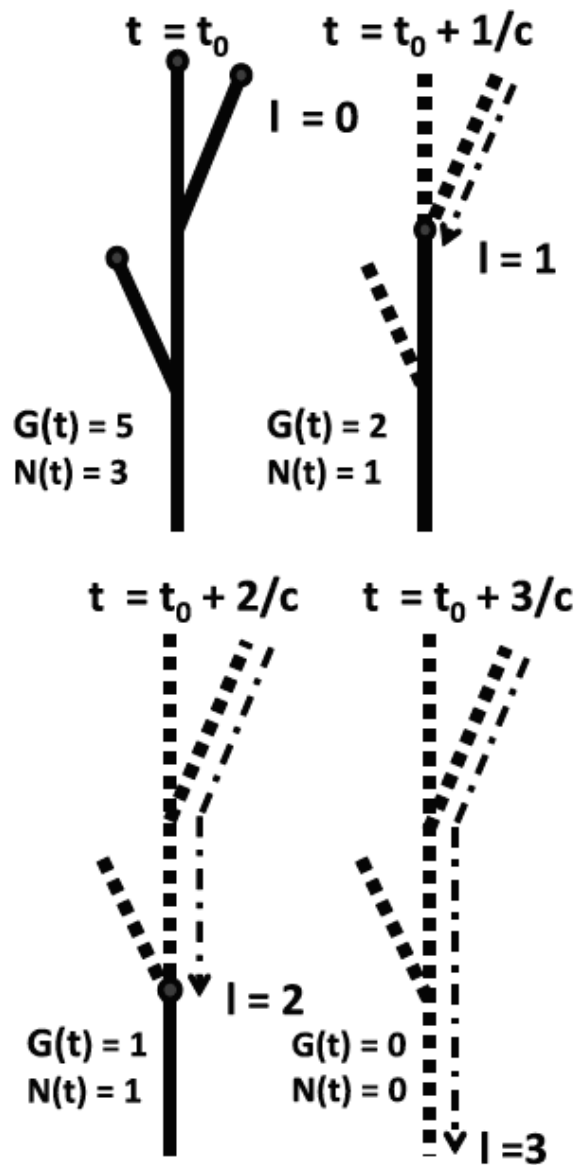
catchment desaturation →
Active Drainage Network (ADN)

l = downstream distance from
the channel heads

$N(l)$: number of channel sources
at distance l from their channel
head

$G(l)$: total length of ADN located
at a distance $\geq l$ from channel
heads





$$Q(t) = q G(t)$$

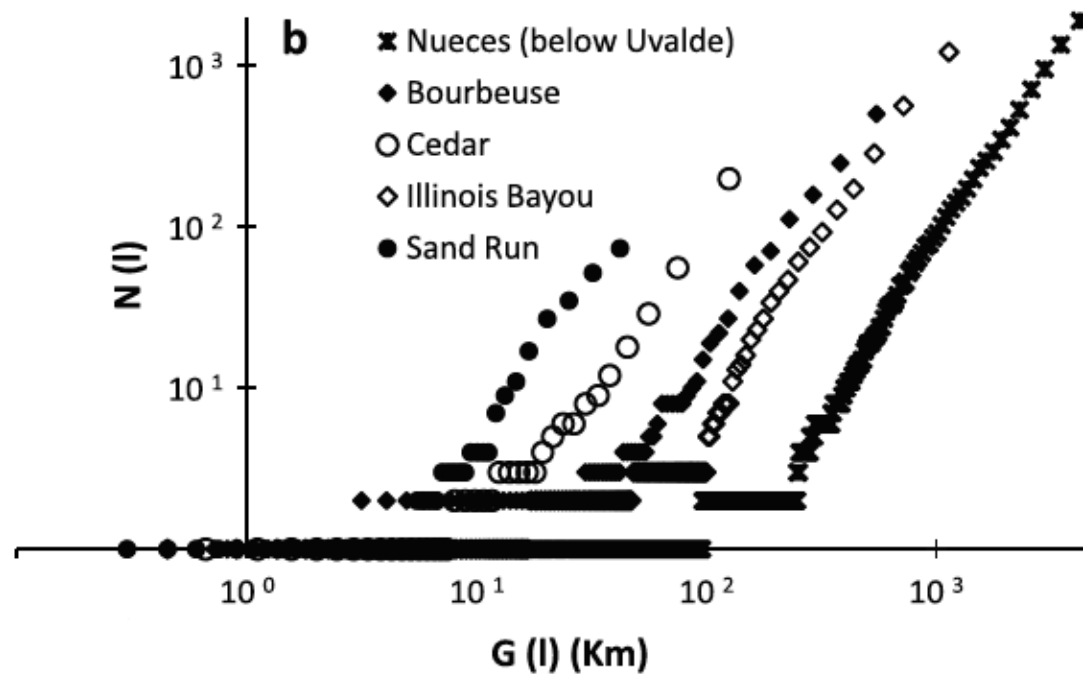
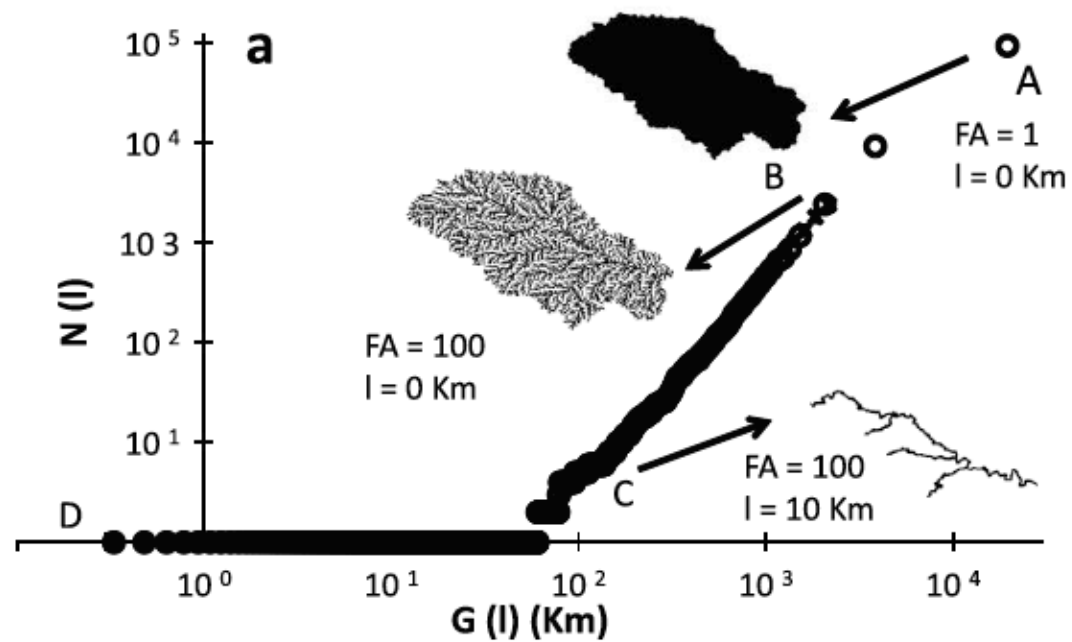
$$c = \frac{d\ell}{dt}$$

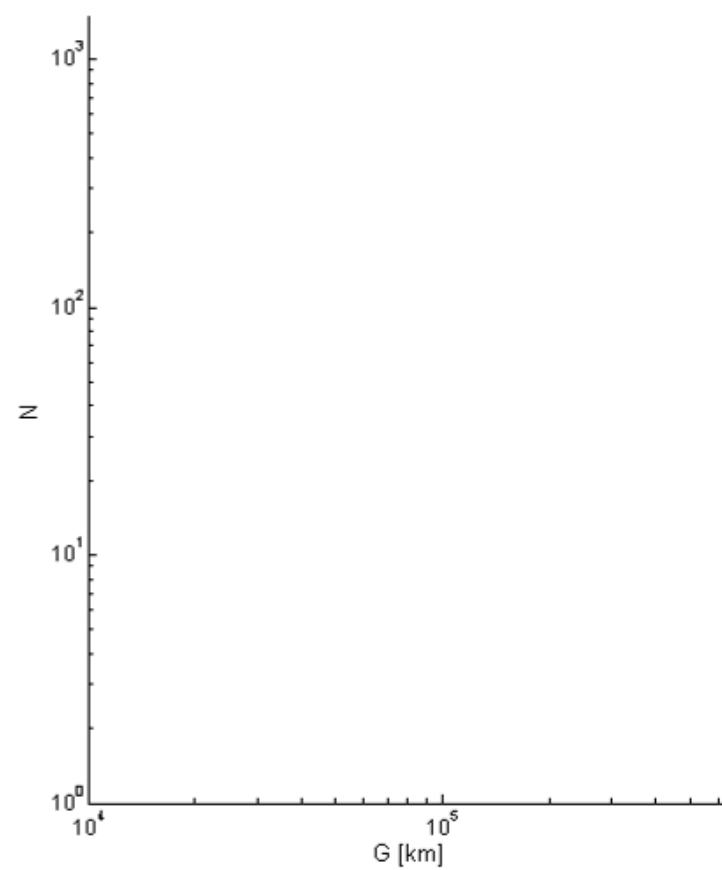
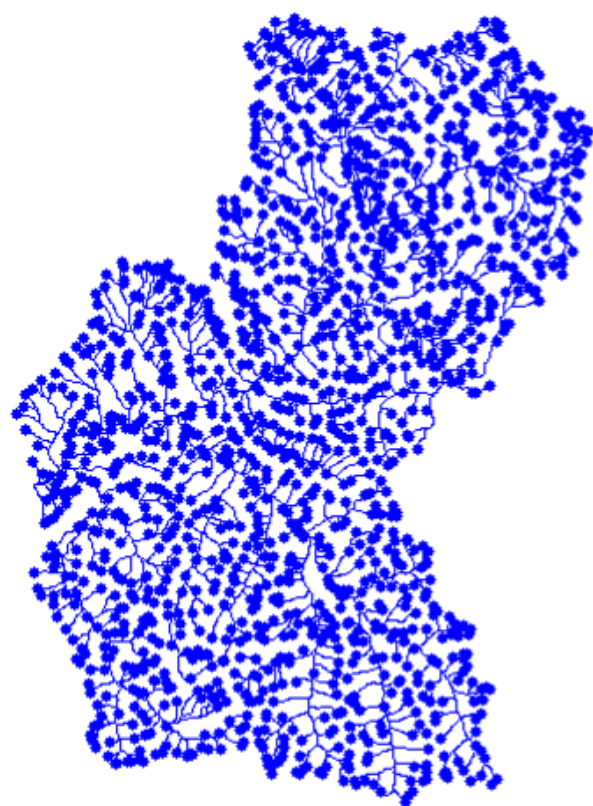
$$\frac{dQ}{dt} = q \frac{dG}{dt} + G \frac{dq}{dt} =$$

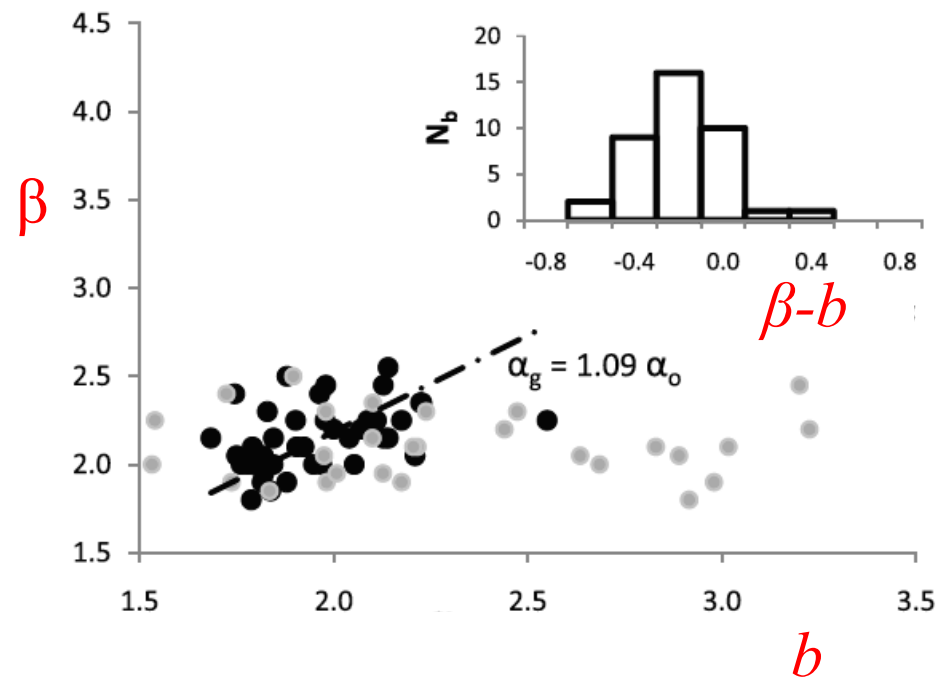
$$= \underbrace{-qcN(t)}_{\text{geomorphology}} + \underbrace{G \frac{dq}{dt}}_{\text{Brutsaert}}$$

geomorphology

Brutsaert



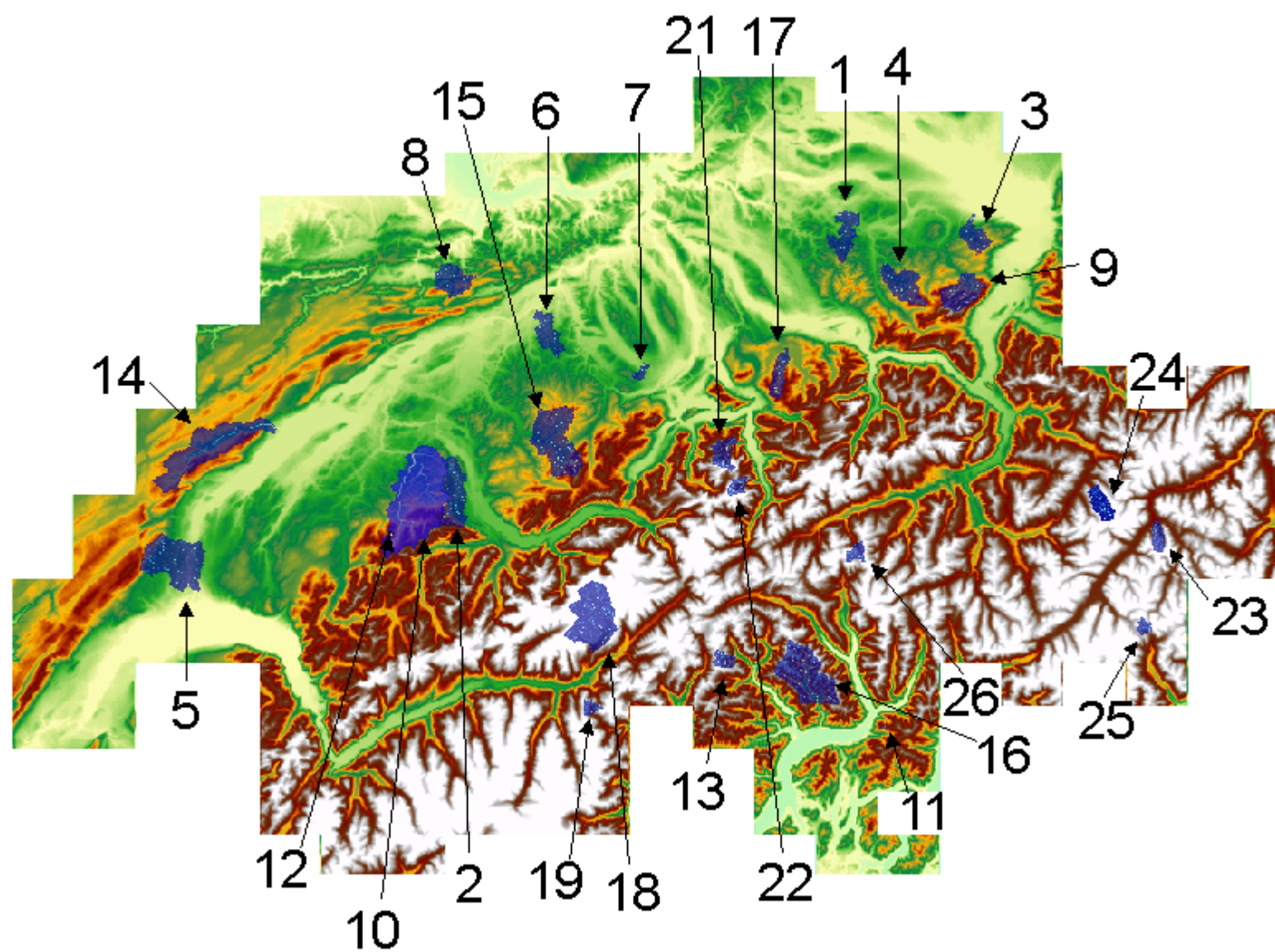




$$\frac{dQ}{dt} = -CQ^\beta \quad \longrightarrow \quad \beta = b$$

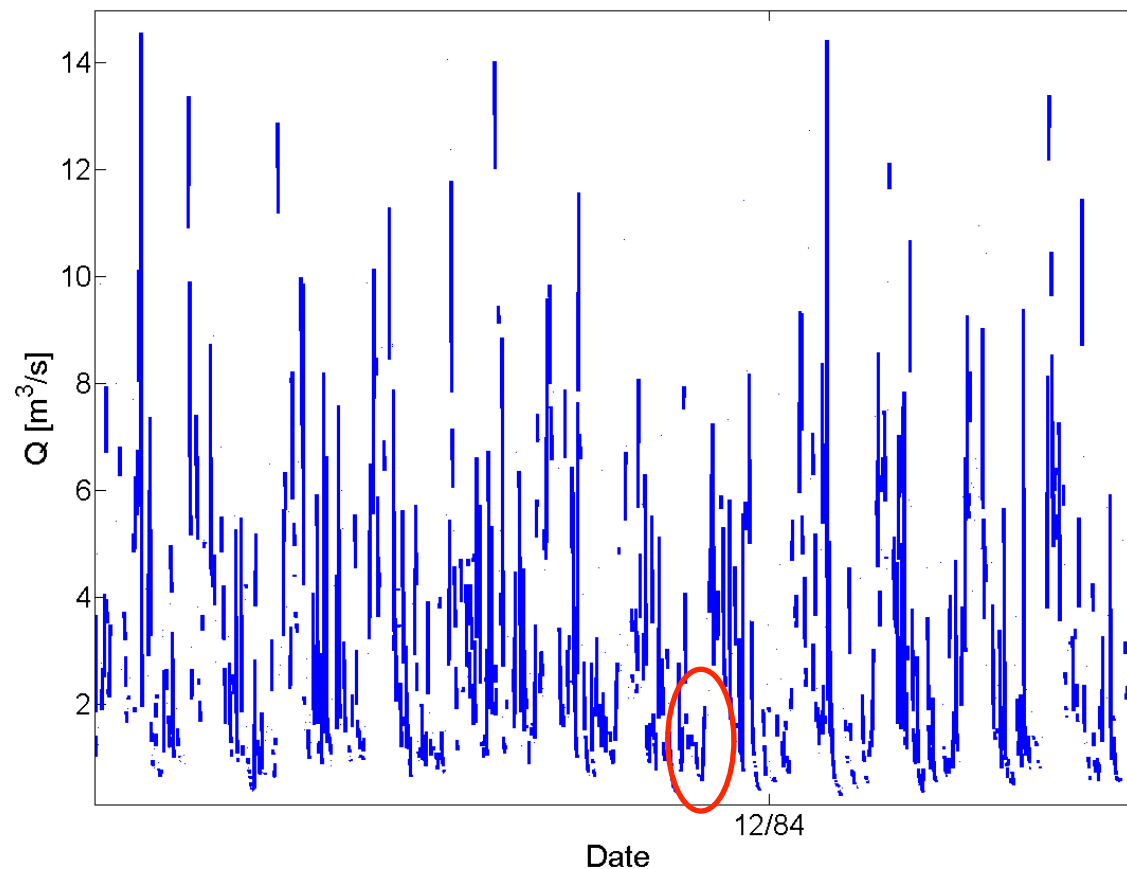
$$N(l) \propto G(l)^b$$

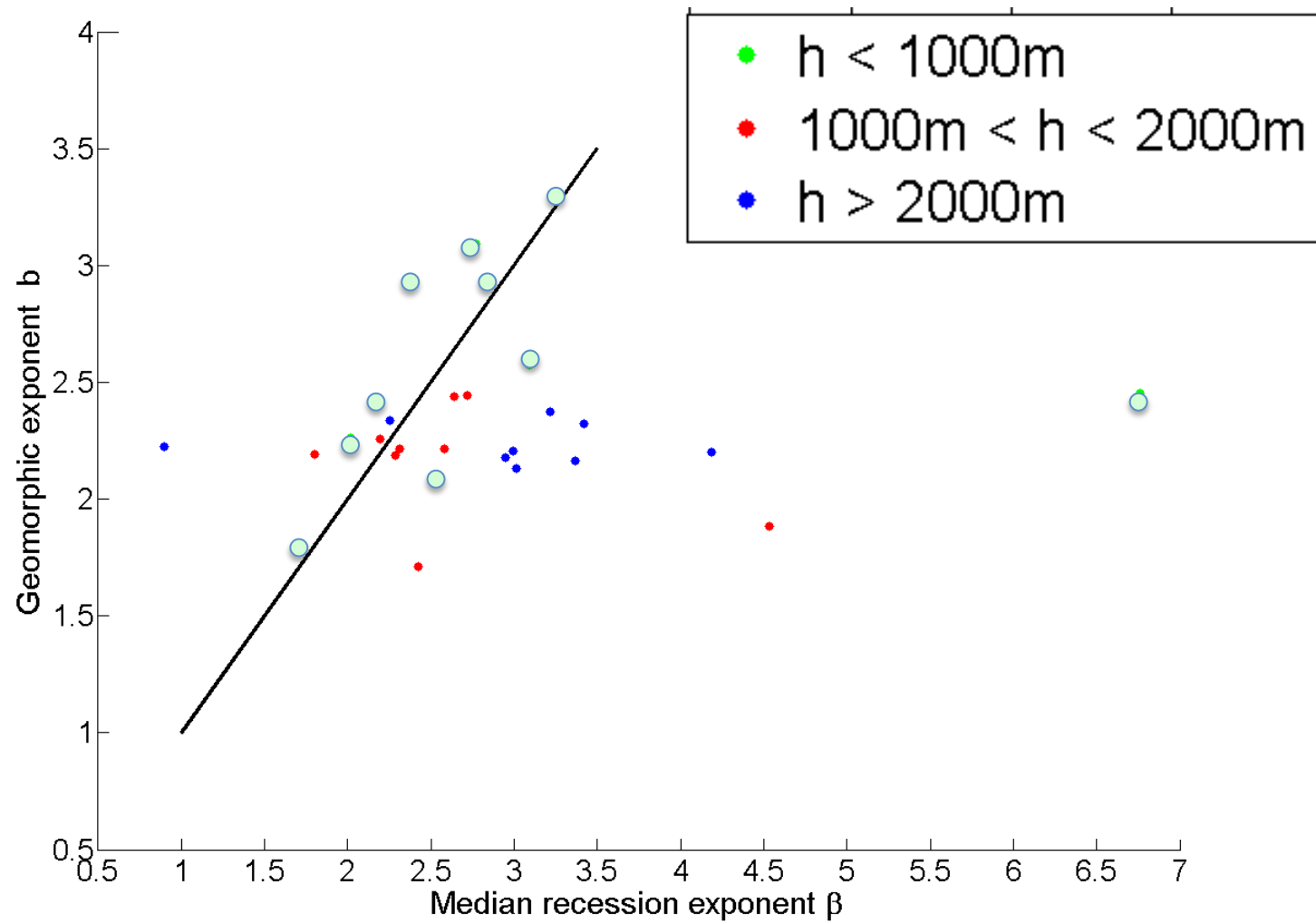
Biswal & Marani, *GRL*, 2011



excluded: i) daily discharges corresponding to rainy days; ii)
discharge data for which $dQ/dt \geq 0$

considered: iii) recessions with $Q_{\max} > Q_{\text{mean}}$ of the stream;
iv) periods with ≥ 6 days of consecutive data

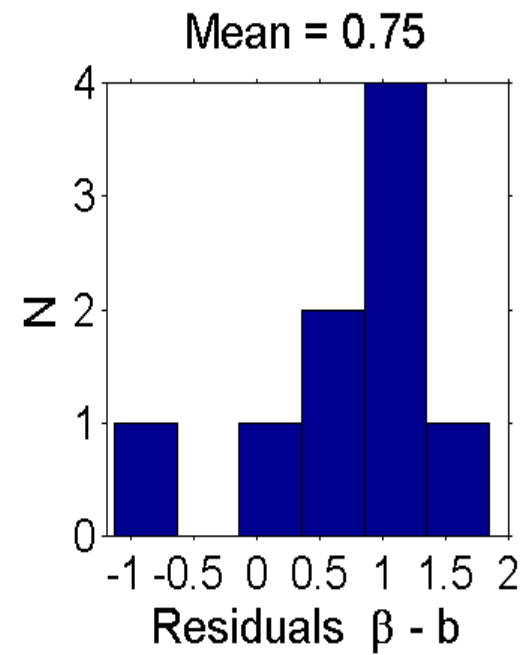
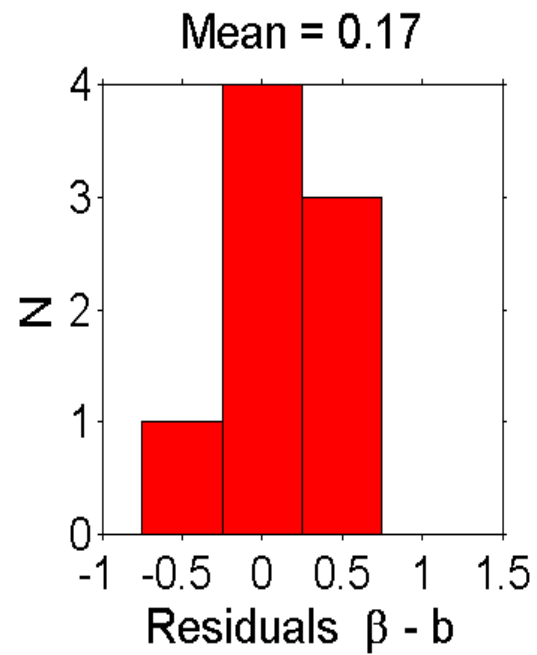
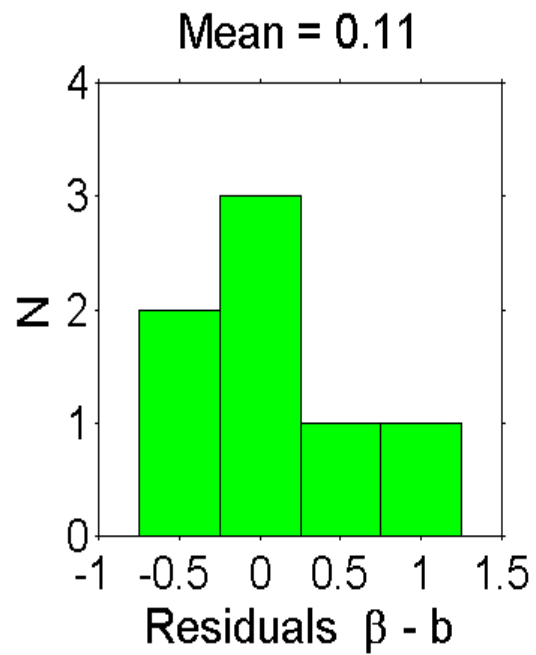




$$b \approx \beta$$

Tomasic, MSEE EPFL, 2011

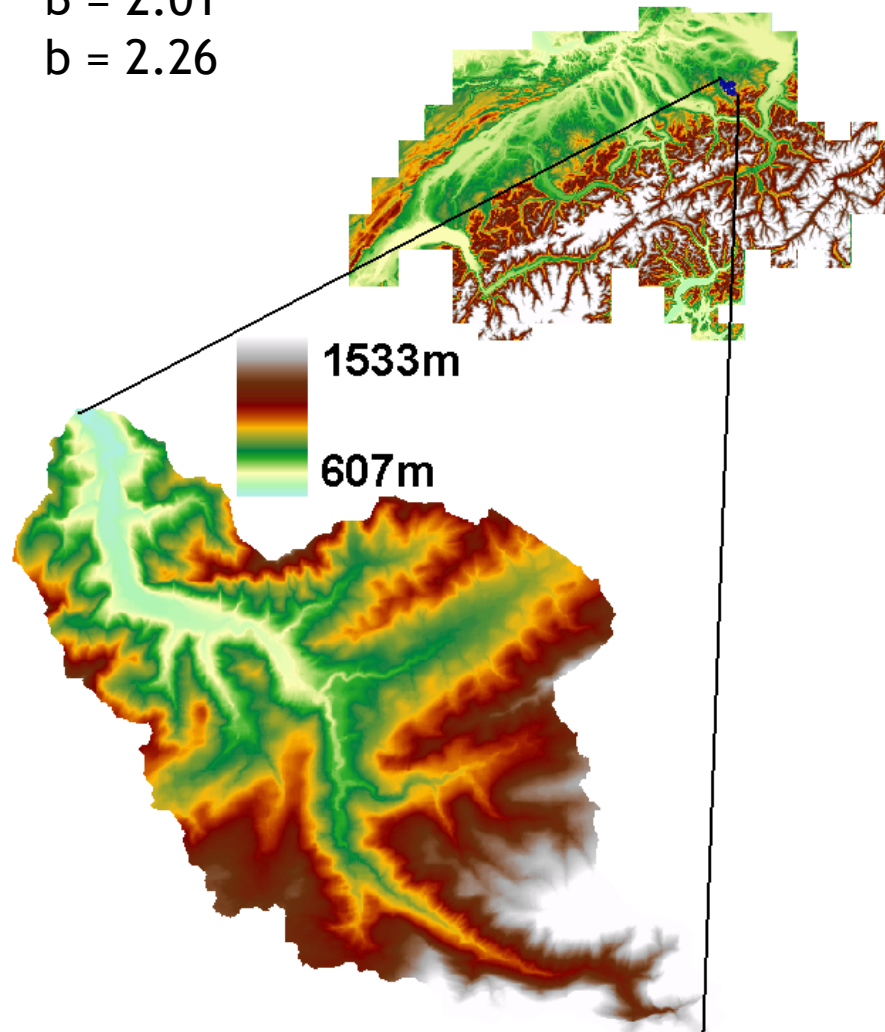
frequency distribution of residuals $\beta - b$



Necker, 88km²

$\beta = 2.01$

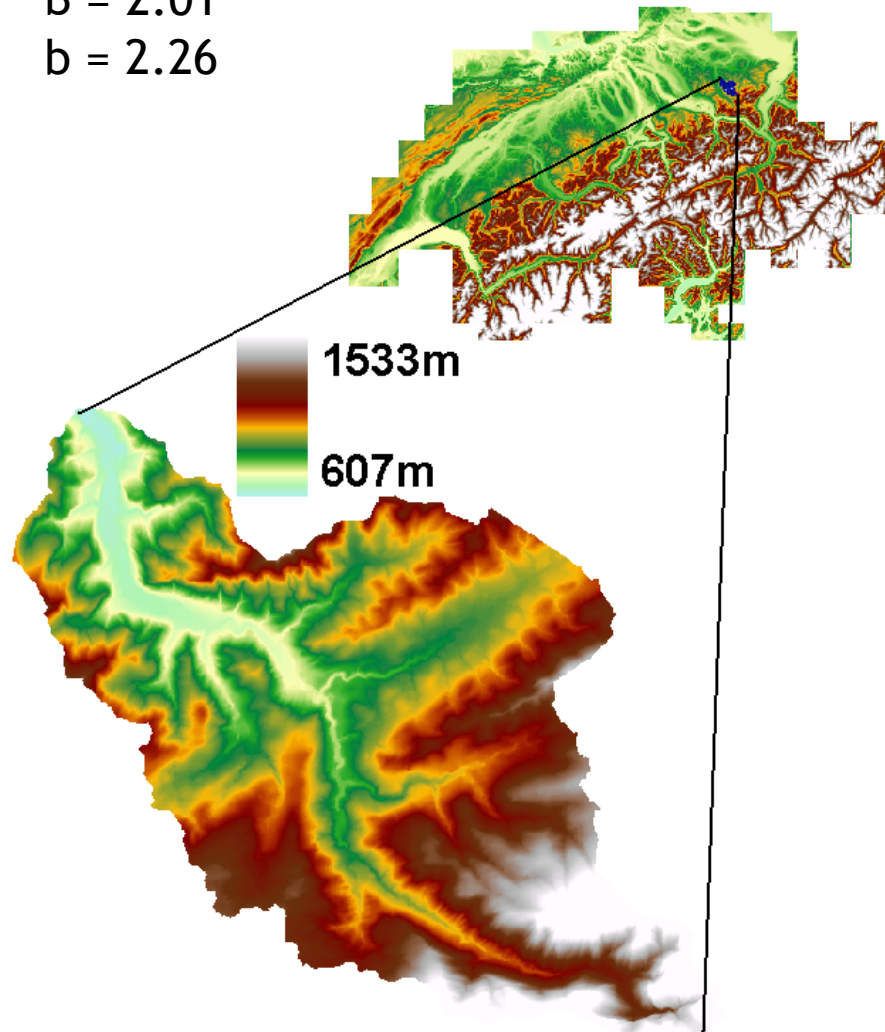
$b = 2.26$



Necker, 88km²

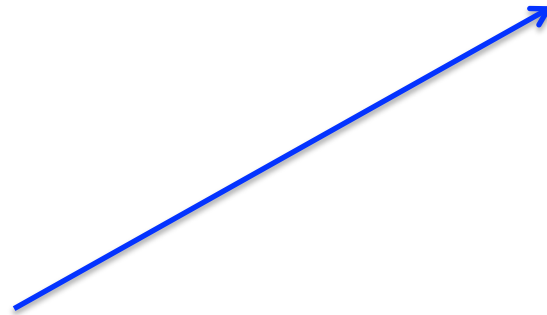
$\beta = 2.01$

$b = 2.26$



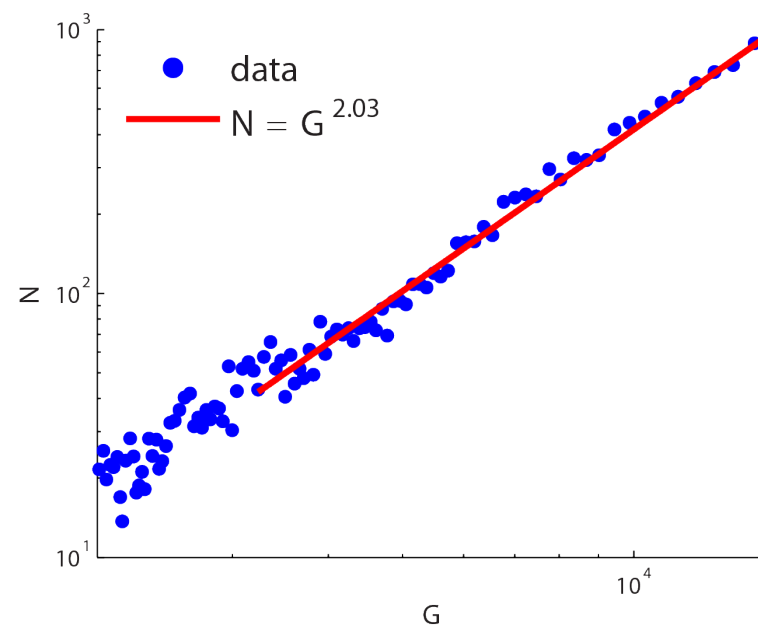
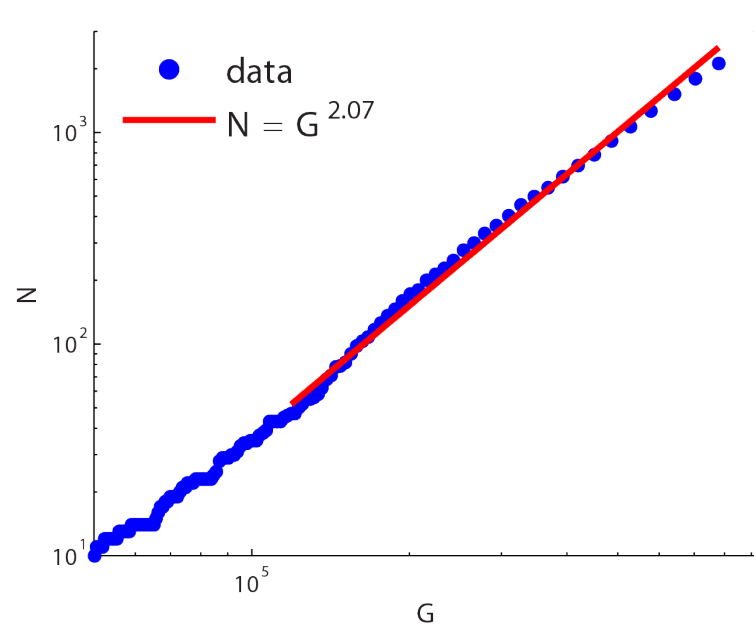
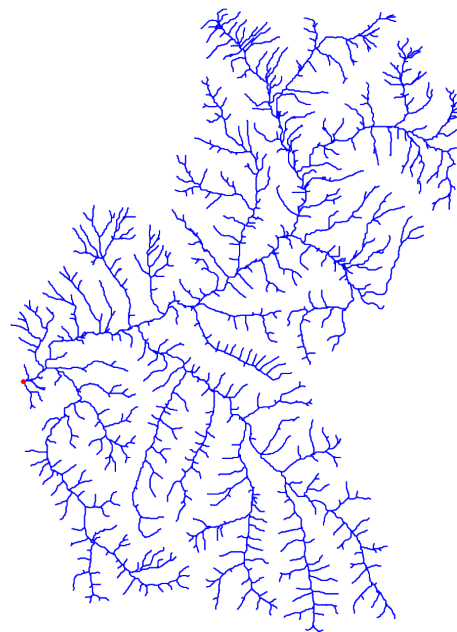
$$q \neq \text{const} = q(\ell)$$

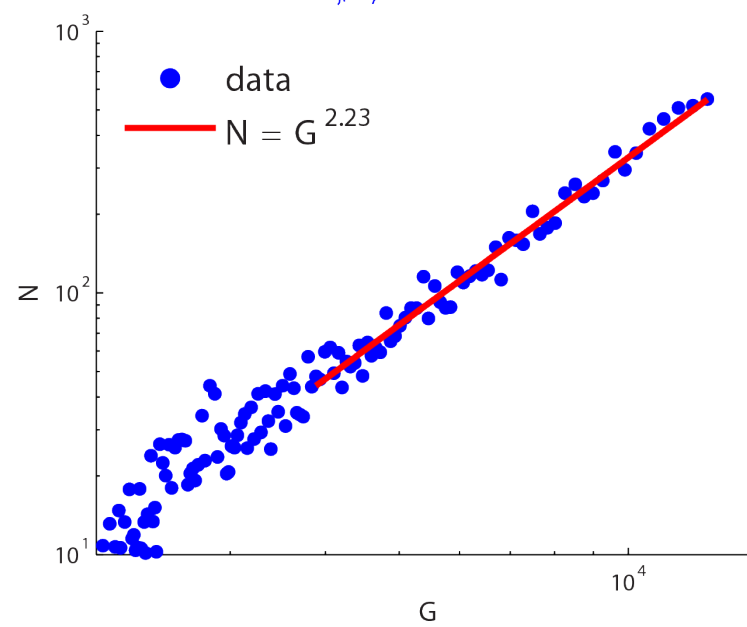
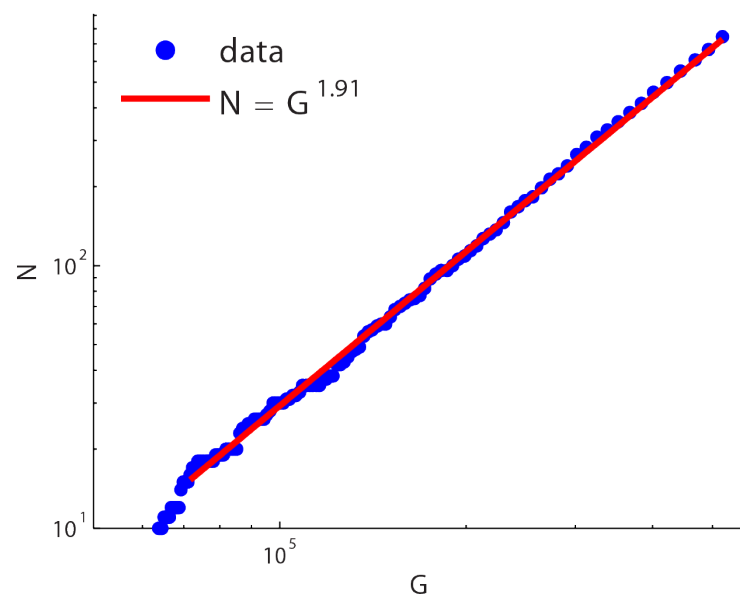
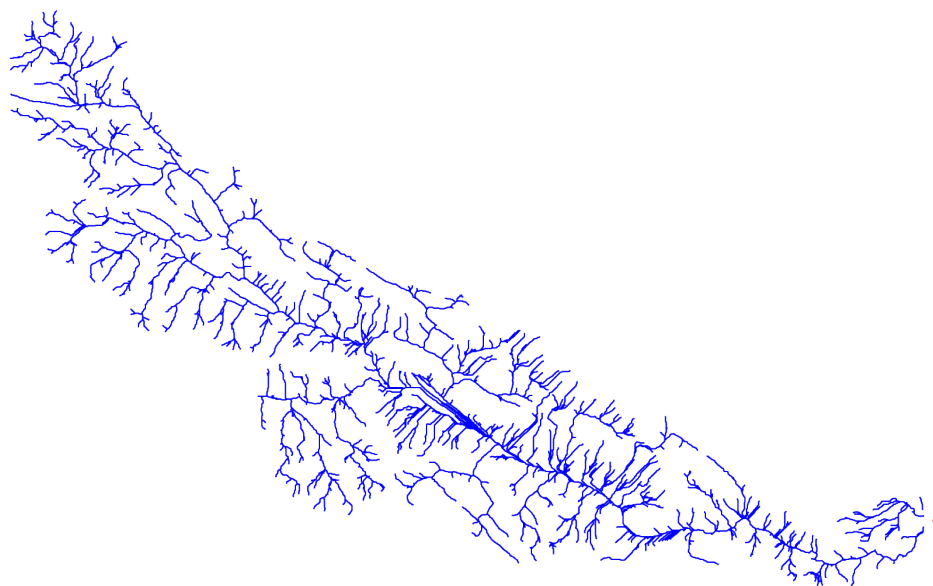
$$q(\ell) \propto \left. \frac{dA}{d\ell} \right|_{\ell}$$

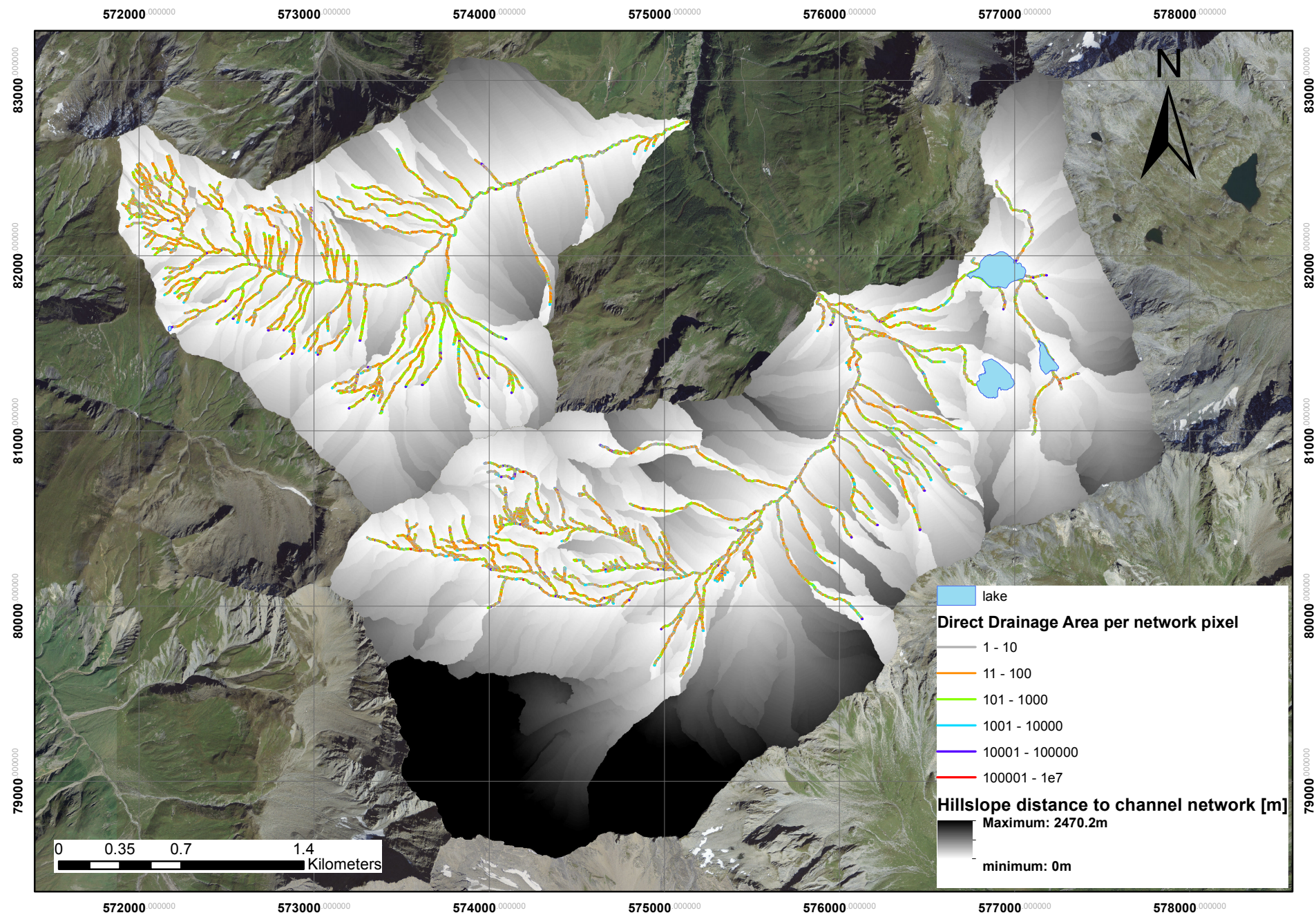


'proper' local
drainage density

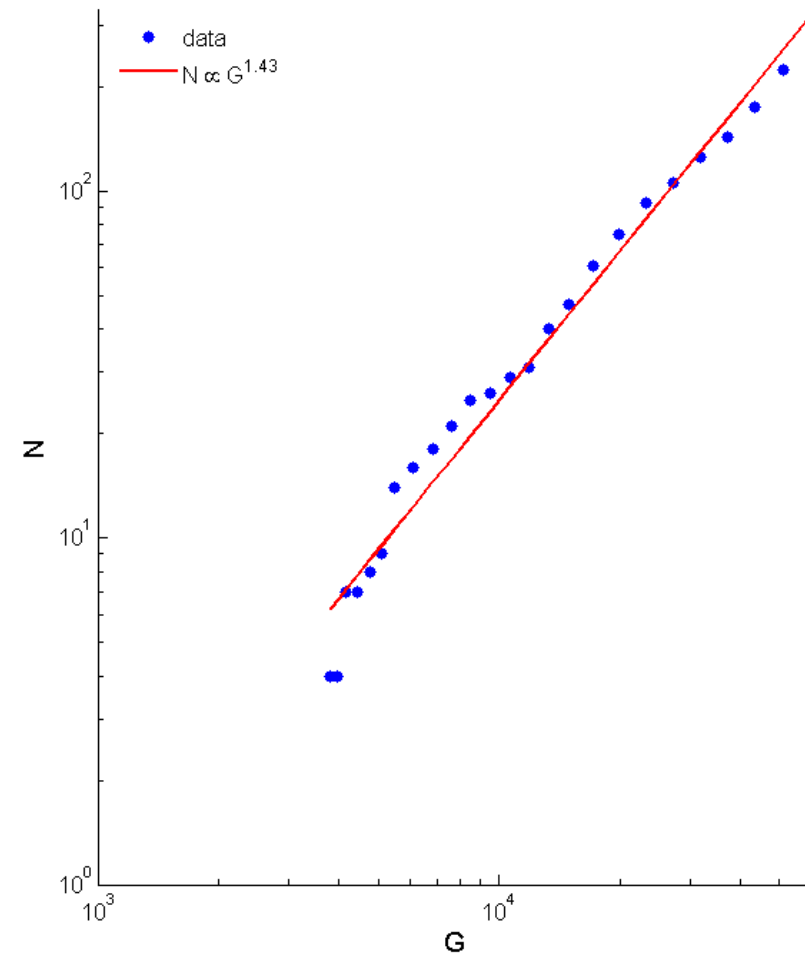
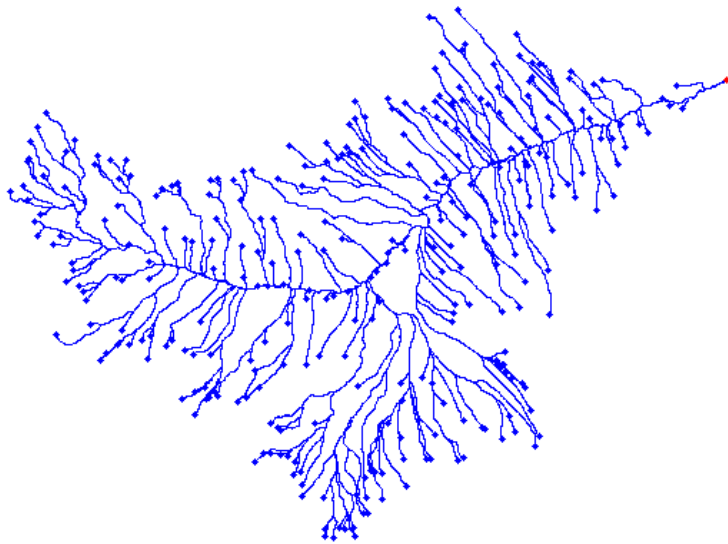
a novel approach



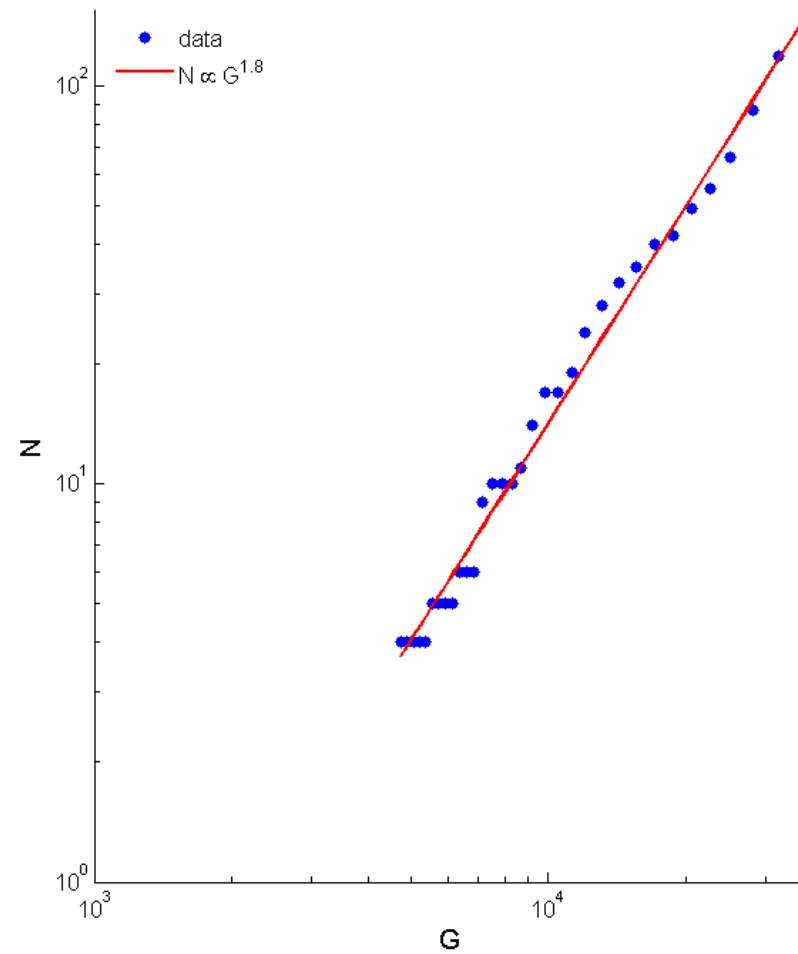




Mutzner et al, to be submitted for the WRR special issue, 2012



Mutzner et al, to be submitted for the WRR special issue, 2012



Mutzner et al, to be submitted for the WRR special issue, 2012



CONCLUSIONS

geomorphological origins of large-scale recession curves
(nearly complete)

key to the linkage is drainage density – properly defined

though much remains to be done (data!)
a clear case of hydrologic discovery through physical analysis
directly linked to the legacy of Wilfried and Jean-Yves

